## EXAMPLES:

a) $(-4)^{2} \cdot(-4)^{5}$
b) $(2 x)^{3} \cdot(2 x)$
c) $2 x^{4} y^{2} \cdot 3 x^{2} y^{6}$

## EXAMPLES:

a) $\left(3^{4}\right)^{2}$
b) $\left[(-x)^{4}\right]^{3}$
c) $\left[(-4)^{2} \cdot(-4)^{3}\right]^{6}$

## PRODUCT OF POWERS PROPERTY

When finding the product of powers with the same base, $\qquad$ —.

$$
a^{m} \cdot a^{n}=
$$

## POWER OF A POWER PROPERTY

When you raise a power to a power,
keep the $\qquad$ and multiply the $\qquad$

$$
\left(a^{m}\right)^{n}=
$$

## POWER OF A QUOTIENT PROPERTY

When finding the quotient of two algebraic expressions with the same exponent, you can $\qquad$ their bases.

$$
\frac{a^{m}}{b^{m}}=\quad, b \neq 0
$$

## EXAMPLES:

a) $5^{-2}$
b) $\frac{x^{-7}}{x^{4}}$
c) $9 m \div 3 m^{-2}$

## NEGATIVE EXPONENT PROPERTY

When finding negative exponent, take the $\qquad$ of the base and raise it to the positive power.

QUOTIENT OF POWERS PROPERTY
When finding the quotient of powers with the same base, $\qquad$ .

$$
\frac{a^{m}}{a^{n}}=
$$

a) $\frac{2^{9}}{2^{6}}$
b) $\left(\frac{5}{8}\right)^{6} \div\left(\frac{5}{8}\right)$
c) $h^{6} k^{2} \div h^{5} k$

## EXAMPLES:

a) $3^{4} \cdot 7^{4}$

When finding the product of two algebraic expressions with the same exponent, you can $\qquad$ b) $\left(-\frac{1}{3}\right)^{5} \cdot\left(-\frac{2}{5}\right)^{5}$
their bases.

$$
a^{m} \cdot b^{m}=
$$

c) $(2 r)^{5} \cdot(7 s)^{5}$

## ZERO EXPONENT PROPERTY

Any nonzero number raised to the zero power is equal to $\qquad$ -.

$$
a^{0}=\quad, a \neq 0
$$

c) $\left(a^{4} \div a^{0}\right) \cdot a^{3}$

## FRACTIONAL EXPONENTS

A fractional exponent (like $m / n$ ), can be broken into two parts:

* a whole number ( m ) which acts just like a regular exponent (how many times you multiply)
* a fraction ( $1 / \mathrm{n}$ ) which tells you to take the nth root. For example, an exponent of $1 / 2$ means to take the square root. $1 / 3$ means take cube root.

You can simplify using either method below:

$$
\begin{gathered}
x^{\frac{m}{n}}=x^{\left(\frac{1}{n} \times m\right)}=\left(x^{\frac{1}{n}}\right)^{m}=(\sqrt[n]{x})^{m} \\
x^{\frac{m}{n}}=x^{\left(m \times \frac{1}{n}\right)}=\left(x^{m}\right)^{\frac{1}{n}}=\sqrt[n]{x^{m}}
\end{gathered}
$$

